## Problem of the Month: October 2020

# Solution

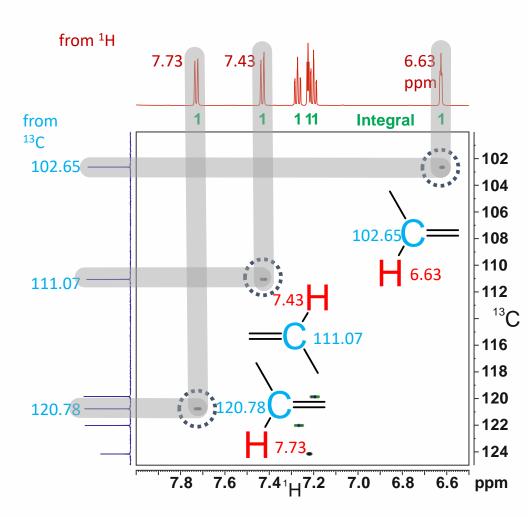
If available, in most cases the HSQC is an ideal point to start a structure elucidation.

For the molecular formula  $C_8H_7N$ , a number of 6 double bond equivalents (degree of unsaturation) can be figured. Roughly, this makes up for one aromatic unit plus 2 more dbe.

The evaluation of an HSQC is a bit like picking out the right Lego bricks from the big box.

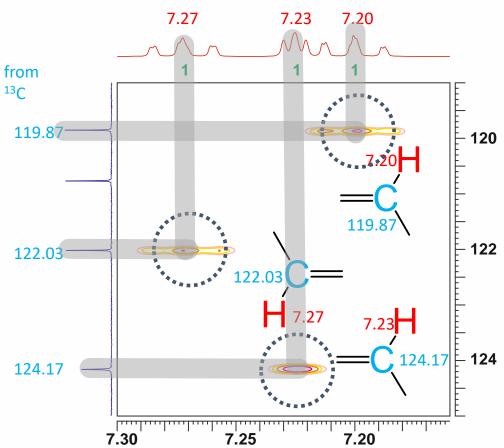
Let's start with three well separated cross peaks.

As a first step we extract the chemical shifts from the one-dimensional spectra.



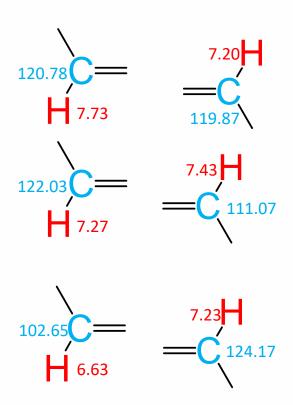
We continue with the peaks in the lower third of the HSQC with very similar proton chemical shifts.

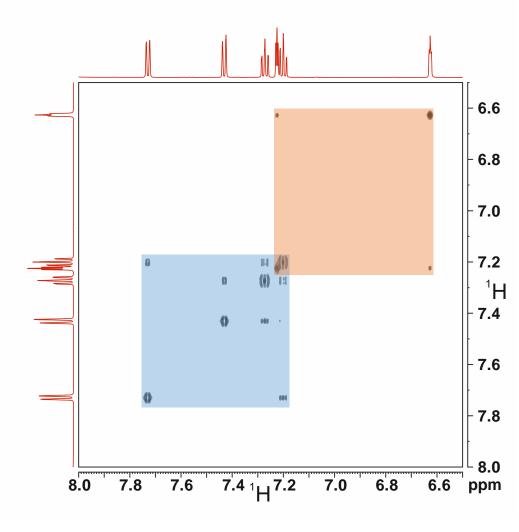
The procedure for the next three building blocks is the same as seen before.



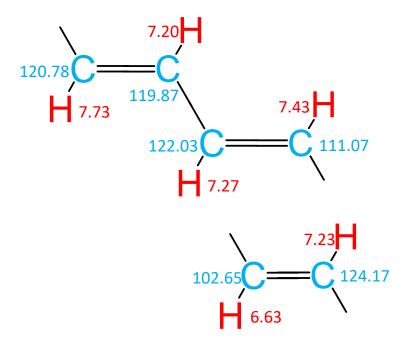
from <sup>1</sup>H

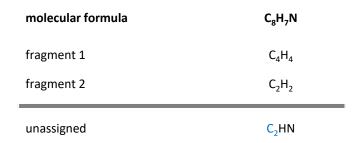
Now let's connect the building blocks via the TOCSY. Fortunately two well separated spin systems are easily visible





### a short interim result





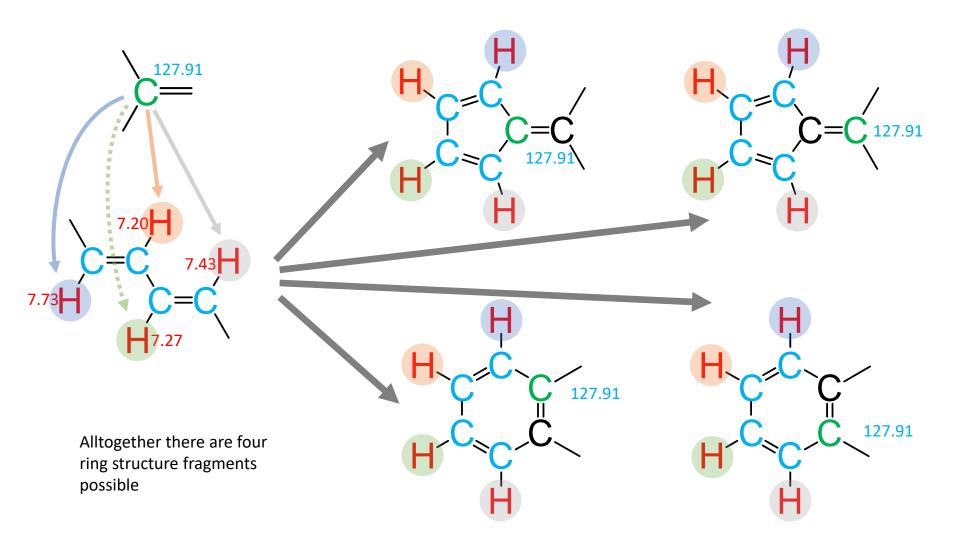
The two missing quaternary carbons may be extracted from the one dimensional carbon spectrum, since there are just two unassigned peaks remaining.

An the very last missing fragment is  $\dots$ 

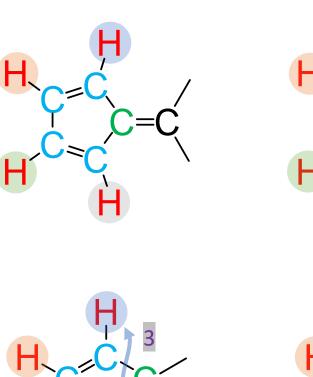
## Now the "bricks" have to be put together

The two quaternary carbon atoms have to be the bridges between the three protoned fragments.

There have to be correlations betwen these carbons and the four membered fragment, visible in the HMBC.



Let us neglect the order of the quaternary carbons for the moment and check, whether the five membered ring might be a reasonable partial structure or not.



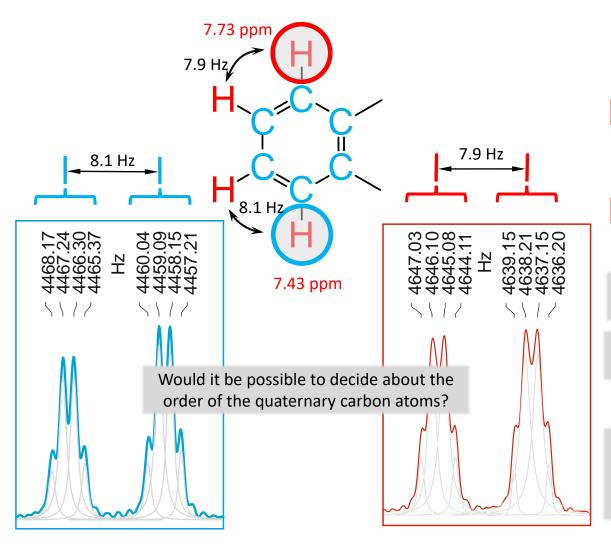
fragments

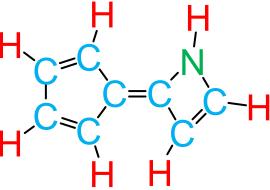
regarding the allocation of the quaternary

carbon atoms, the stereochemistry of the >NH-group relative to the five membered ring and the assignment of the -CH=CH-fragment. But the constitution is **always the** 

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same.

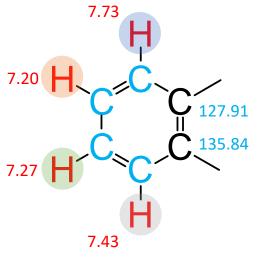


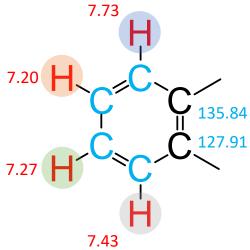


A strange unsaturated heterocyclic four membered ring system

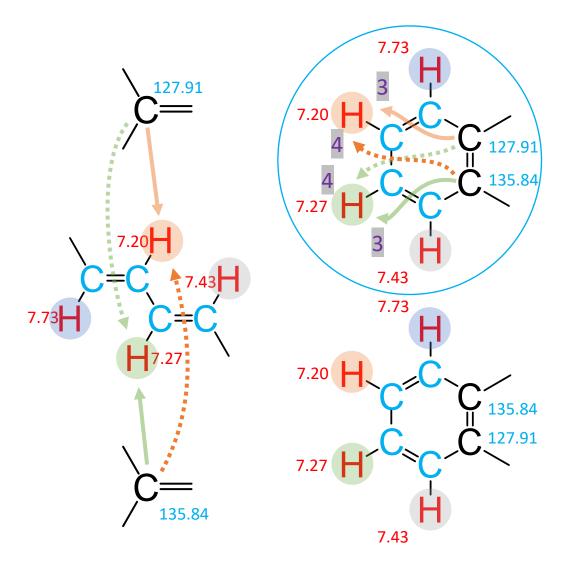
Of course **strange** is no scientific argument.

But if we take a six membered ring as a starting point, we find two coupling constants very characteristic for six membered aromatic ring systems.





We have to distinguish between two possibilities.



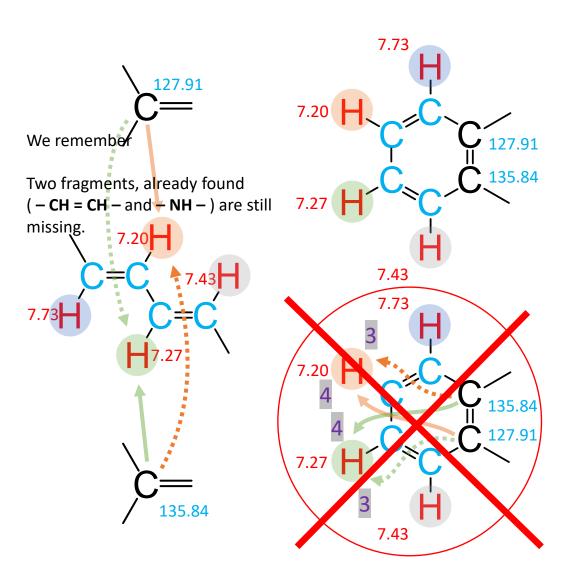
Within the partial structure given above the **intense** cross peaks correlate with a coupling over **three** bonds.

The **weak** cross peaks correlate with a coupling over **four** bonds.

As a crude rule of thumb, the intensity of the cross peaks decreases with the number of bonds between the coupling nuclei.

Solid lines mean intensive, dashed lines mean weak cross peaks.

The partial structure seems to be reasonable.



Within the partial structure given below the **intense** cross peaks correlate with a coupling over **four** bonds.

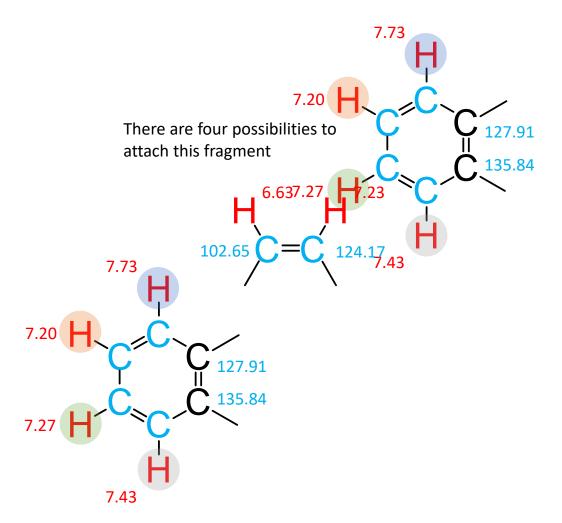
The **weak** cross peaks correlate with a coupling over **three** bonds.

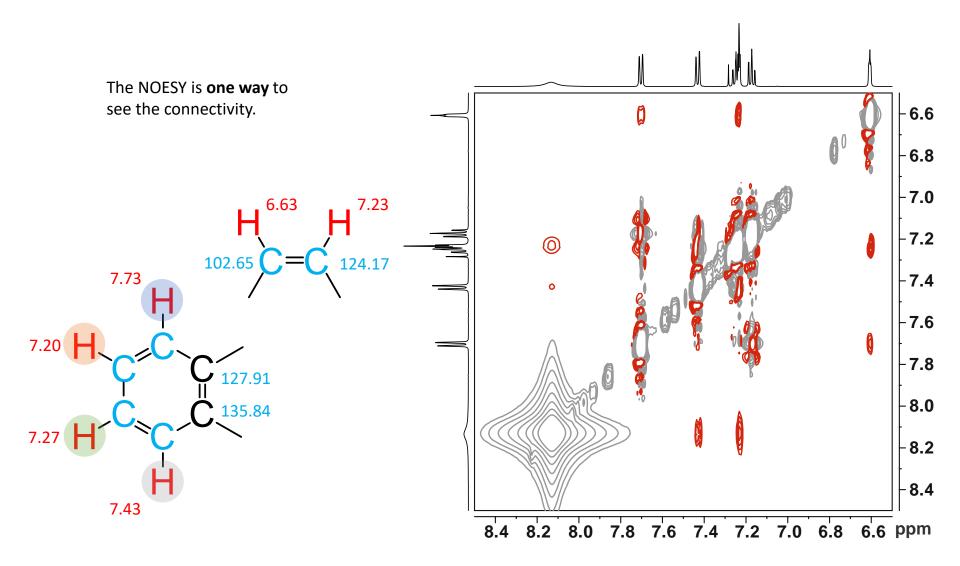


As a crude rule of thumb, the intensity of the cross peaks decreases with the number of bonds between the coupling nuclei.

This is not completely impossible, but very unlikely.

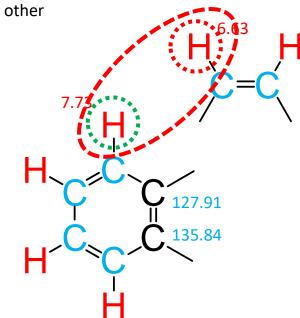
Unless you have good reason for doing otherwise, you should go with simplest (most probable) explanation.

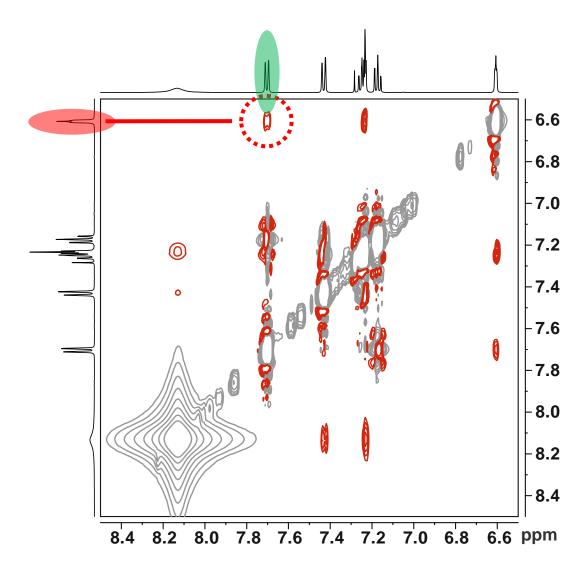


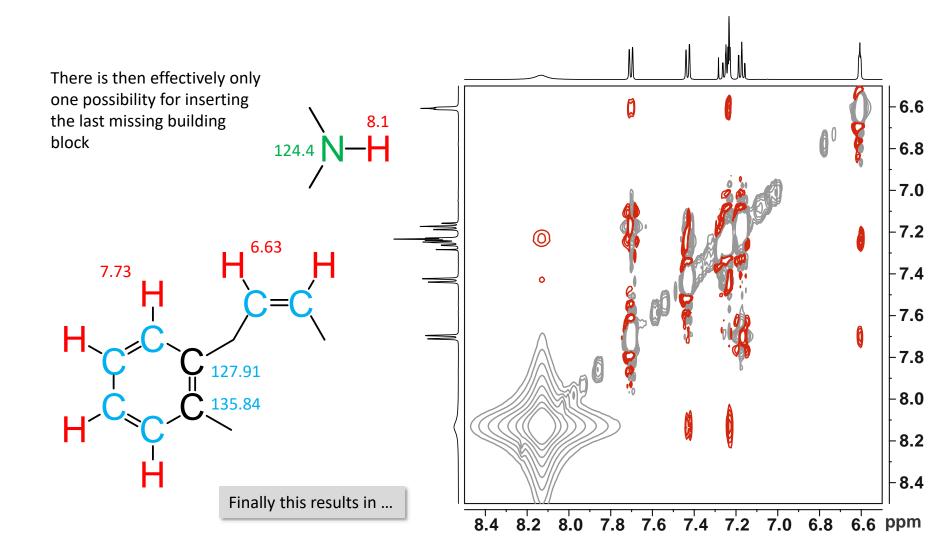


In the crowded NOESY just one clearly separated peak is very helpful.

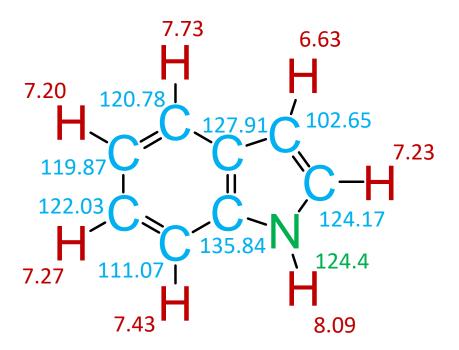
These protons have to be close in space to each



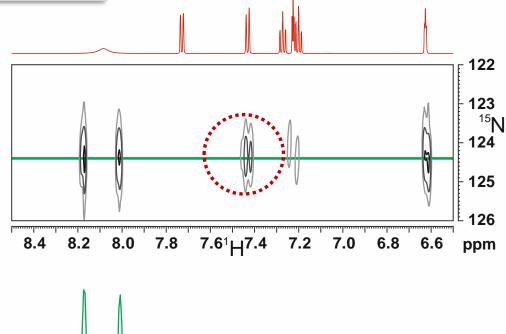


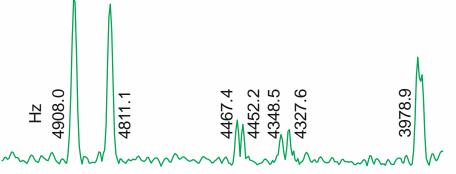


## Indole

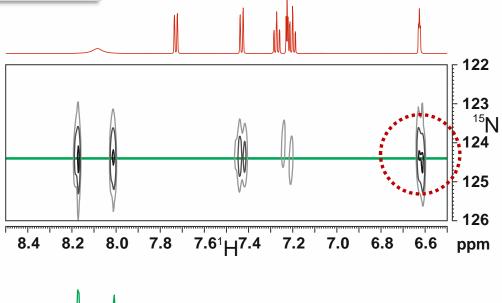


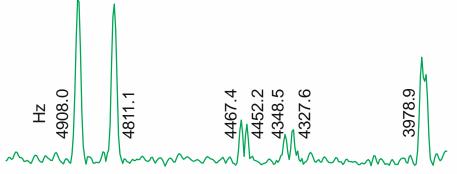
First some long-range <sup>15</sup>N-<sup>1</sup>H correlations



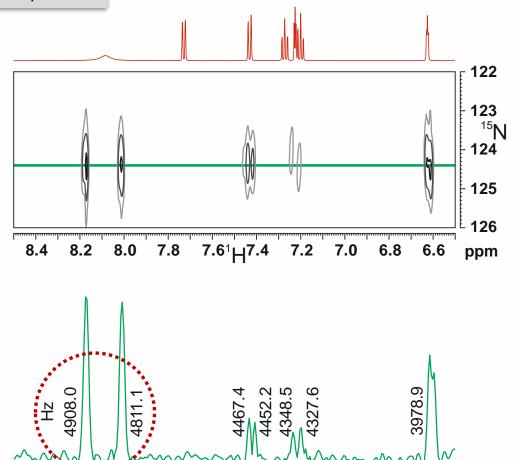


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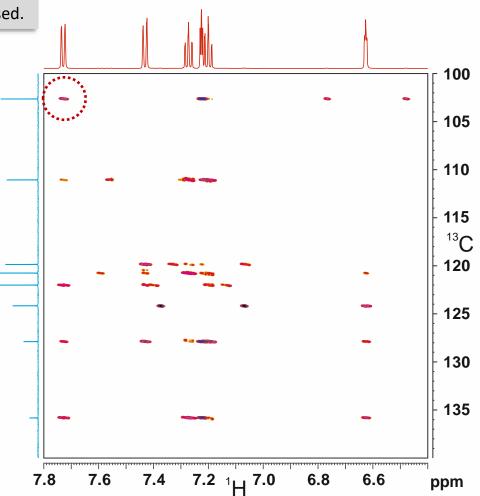




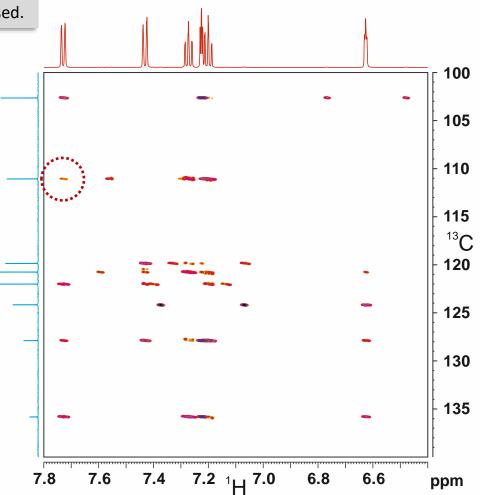
First some long-range <sup>15</sup>N-<sup>1</sup>H correlations



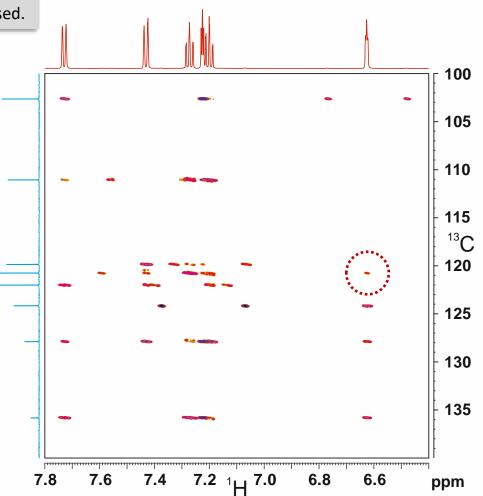
Now using long-range <sup>13</sup>C-<sup>1</sup>H correlations



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## The analysis of the homonuclear coupling constants

A basic consideration about the multiplet structure

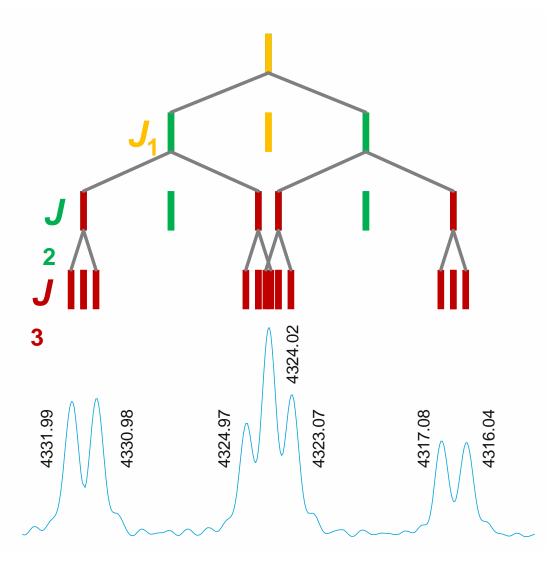
There are no equivalent protons in this molecule. As a result, every coupling pattern without any exception - completely independent of its apparent structure - can only be a doublet, a doublet of doublets, a doublet of doublets, ....

Each multiplet consists of 2, 4, 8, or generally 2<sup>n</sup> lines of equal intensity. Deviations from this general rule can only be explained by overlapping lines.

#### Let us start with H-5

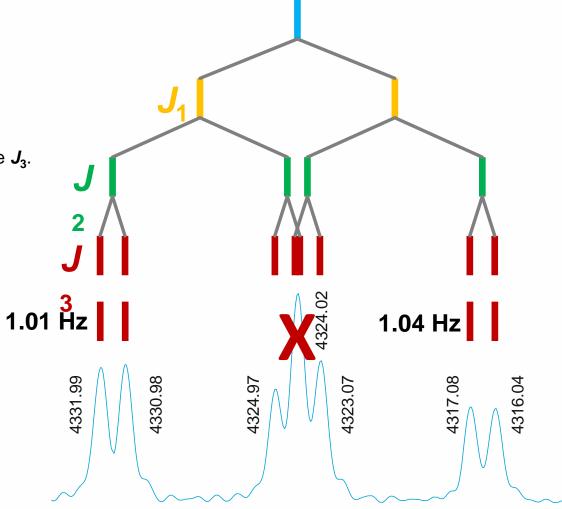
One neighbouring proton (which one is unknown so far) causes a splitting into a doublet Another different neighbour splits each individual line into a doublet

And the third, different, neighbouring hydrogen atom does the same with each of the four lines.



To measure  $J_3$  we cannot use the area of the two overlapping peaks.

But we have two other choices to measure  $J_3$ .

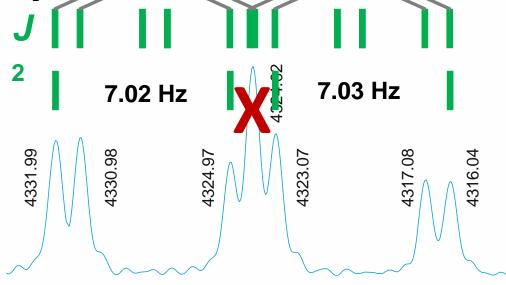


#### How to get $J_2$ ?

The couplings are 100% commutative, so simply let's change the order.

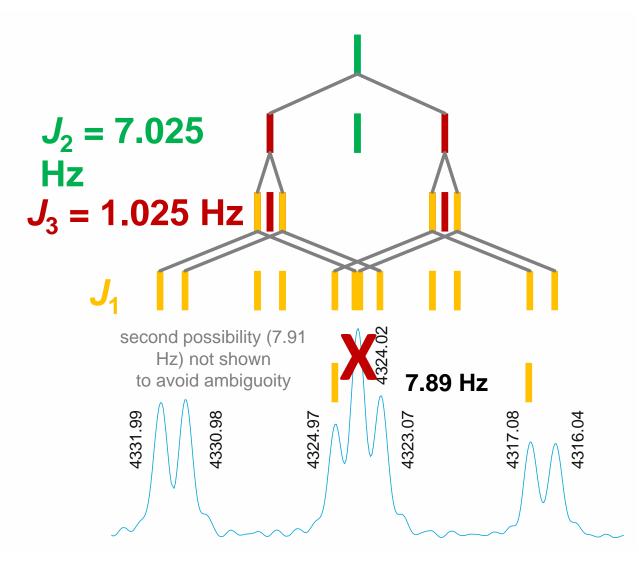
$$J_3 = 1.025 \text{ Hz}$$

There are two easy possibilities to get the value of  $J_2$ .





Let us shuffle a last time.



At the moment the three coupling partners are unknown. For the moment we note the three coupling constants next to the corresponding proton.

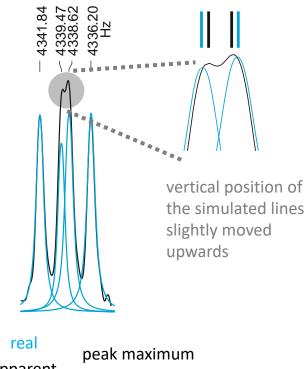
By the way: the sum of the three coupling constants should be equally to the frequency difference between the two outermost lines of the multiplet.

To determine the coupling constants it is not necessary to construct the coupling tree. Here, the representation served as a tool to visualize the selection of the correct peaks from the multiplet.

0.98 Hz 2.04 Hz 3.20 Hz 1.02 Hz 7.02 Hz 7.90 Hz 2.40 Hz 1.23 Hz

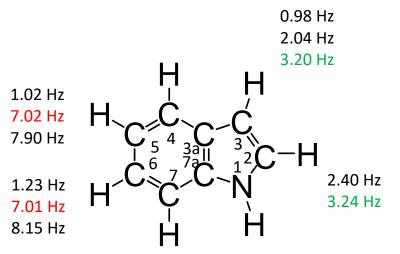
7.01 Hz 8.15 Hz The multiplets of H-3 and H-6 resemble the multiplet of H-5 almost perfectly. Three coupling constants can be determined from each multiplet.

In the multiplet of H-2 two lines heavily overlap. A simple search of the peak maxima leads to wrong values, but fitting the whole multiplet using a sum of Lorentzian functions provides useful values. Actual software to process NMR spectra is able to do this job.



apparent

3.24 Hz



0.98 Hz 2.04 Hz

1.02 Hz

7.90 Hz

7.01 HzI 6 7 A 3 A II 12 C - H

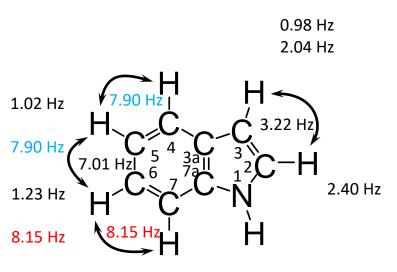
1.23 Hz

H

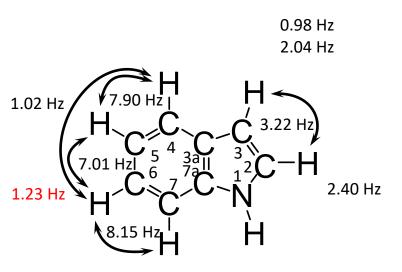
1.240 Hz

8.15 Hz Two vicinal couplings (7.01/7.02 Hz and 3.20/3.24 Hz) are visible immediately due to identical coupling constants within two different multiplets.

7.90 Hz and 8.15 Hz are typical vicinal coupling constants between protons in six membered aromatic rings. In both cases there is only one vicinal coupling partner available.

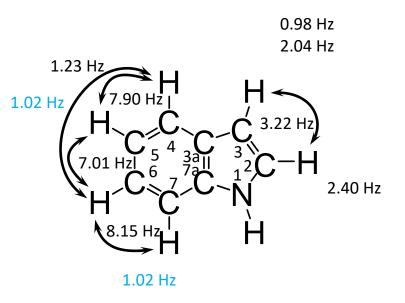


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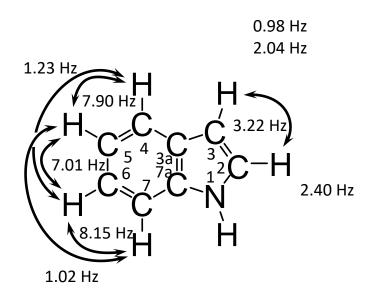
The remaining unassigned coupling constant of 1.23 Hz starting from H-6 can only be a long-range coupling between H-4 and H-6 (a long-range coupling over five bonds between H-6 and H-1 excluded).



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The coupling constant of 1.02 Hz should be assigned to a long-range coupling between H-5 and H-7. A long-range coupling between H-5 and H-3 finally is not excluded. A really reliable decision requires special experiments (selective decoupling).

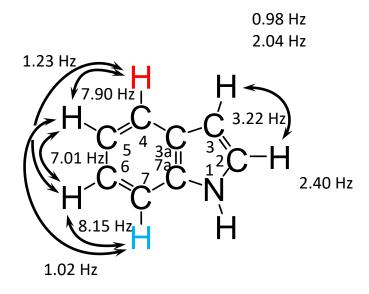


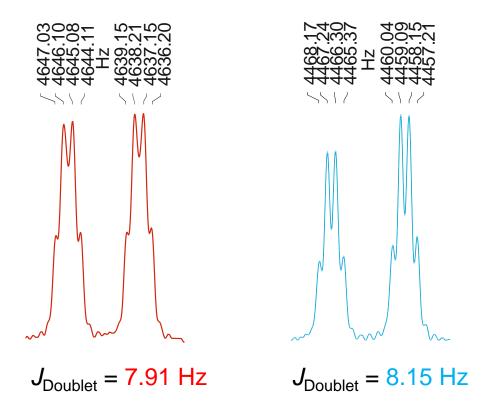
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The coupling constant of 1.02 Hz should be assigned to a long-range coupling between H-5 and H-7. A long-range coupling between H-5 and H-3 finally is not excluded. A really reliable decision requires special experiments (selective decoupling).

## H-4 and H-6



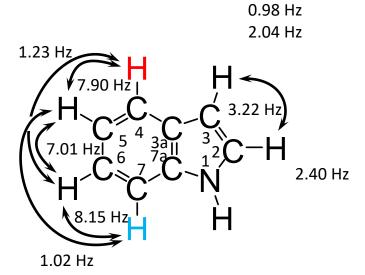


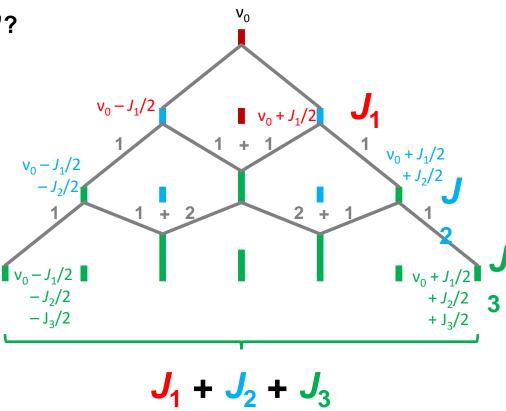
The multiplets of both H-4 and H-6 seem to be doublets of quartets. That is **not possible**!

**All** multiplets have to be cascades of doublets somehow. The coupling constants of the clear visible doublet structure in both multiplets is easy to calculate, they confirm the values already calculated from the multiplets of H-5 and H-6.

### But, how to explain the "quartets"?

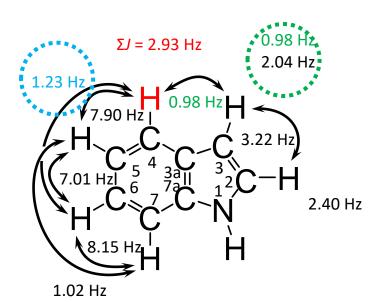
Think about three consecutive doublet splittings with the coupling constants  $J_1$ ,  $J_2$  and  $J_3$ . The differences between the values of  $J_1$ ,  $J_2$  and  $J_3$  should be parts of the natural linewidth only.

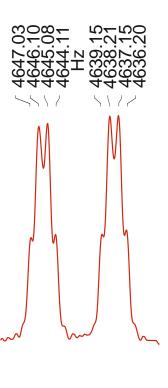




Because of strong overlap within the limit of the natural linewidth it is impossible to extract the values of  $J_1$ ,  $J_2$  and  $J_3$  directly. But at least the sum of all three coupling constants can be measured.

#### Let us return to H-4





**H-4** 

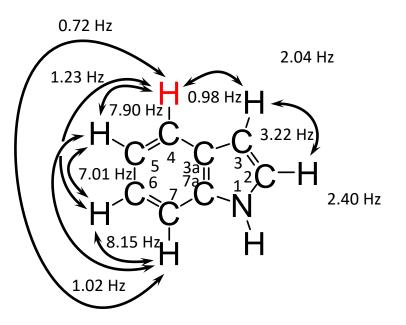
The sum of  $J_1$ ,  $J_2$  and  $J_3$  in the pseudoquartets is 2.93 Hz, so the value of  $J_1$ ,  $J_2$  and  $J_3$  is about 1 Hz each.

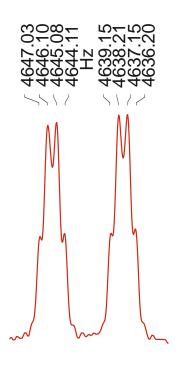
 $J_1$  (1.23 Hz) is already known.

With a very high amount of probability  $J_2$  is the already know coupling constant with a value of 0.98 Hz found in the doublet of doublet of doublets of H-3.

As a consequence we end with  $J_3 = 0.72$  Hz.

#### Let us return to H-4





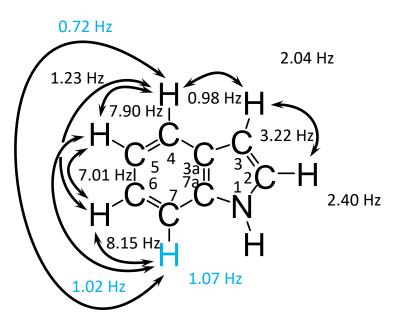
This might be a five bond coupling between H-4 and H-1 or between H-4 and H-7

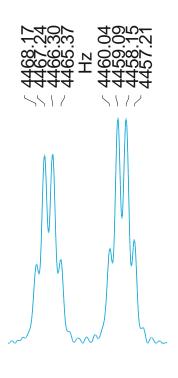
There is no final proof with the given data, but the more probable coupling path is between H-4 and H-7.

H-4

As a consequence we end with  $J_3 = 0.72$  Hz.

#### And now H-7



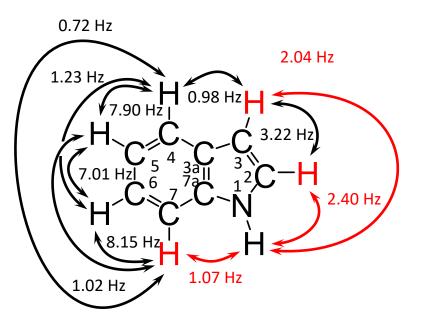


The sum of  $J_1$ ,  $J_2$  and  $J_3$  in the pseudoquartet structure of H-7 is 2.81 Hz.

 $J_1$  (0.72 Hz) and  $J_2$  (1.02 Hz) are already known, resulting in  $J_3 = 1.07$  Hz.

H-7

### Three unassigned coupling constants

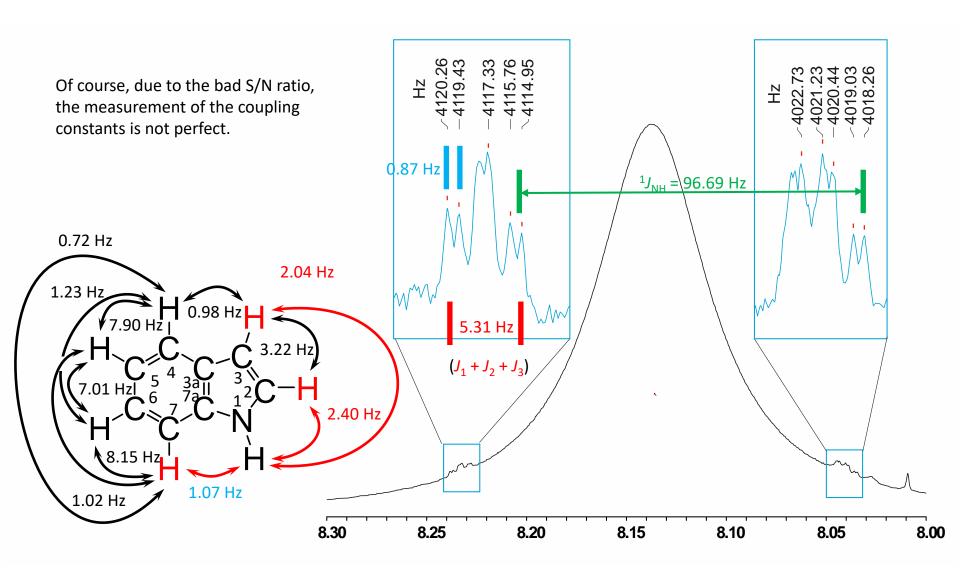


At its current state, each multiplet has been completely analyzed - with one exception: the multiplet of the NH proton.

The three couplings not yet assigned should lead to the NH proton.

Unfortunately the NH-signal is very wide due to the adjacent <sup>14</sup>N-quadrupole.

But we have a chance. If we analyze the broad signal very carefully, we see the signals of the <sup>15</sup>NH proton, of course only with 0.3% integral. Additionally there is another coupling: the <sup>15</sup>N-<sup>1</sup>H on bond coupling of about 90 Hz.



## Some final remarks

The methods described here for assigning all signals and the coupling constants are not fully bullet proof.

For the intensity of the cross peaks in the HMBC, not the number of bonds between the coupling partners is responsible, but the so-called **transfer function**. The simplified way shown here nevertheless led to the correct result.

Special experiments, e.g. selective decoupling, are necessary for the unambiguous assignment of the coupling constants. Compared to literature reference, two of the long-range coupling constants given here are interchanged. (Of course, the literature reference might be wrong as well...).

DOI in nmrshiftdb: 10.18716/nmrshiftdb2/10006007/nmredata pom bmrz cdcl3

## Contributions

